

Exercise Session — Computer Science — 03 Expressions, Loops, Calculating Sums, Scopes

Overview

Today's Plan

Feedback regarding **code** expert Expressions Loops Calculating Sums Scopes

1

1. Feedback regarding code expert

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Everything you should need about precedence

- **L-Values** have a memory address (e.g., int a) and values can be assigned to them
- **R-Values** have no memory address

Prec.	Operator	Input	Output	Associativ.
2	a++, a	L-Value	R-Value	Right
3	++a,a	L-Value	L-Value	Right
3	*a, <mark>&</mark> a	L/R-Value	L-Value	Right
5	*,/,%	R-Value	R-Value	Left
6	+, -	R-Value	R- Value	Left
9	>, >=, <, <=	R-Values	R- Value	Left
10	==,!=	R- Values	R- Value	Left
	>>	L- Values	L- Value	Left
	< <	L/R Values	L- Value	Left
14	&&	R- Values	R- Value	Left
15	H	R- Values	R- Value	Left
16	=, +=, -=, *=, /=, %=	L/R Values	L- Value	Right

■ One more: !x = L-value

General things regarding **code** expert

- It is advised to use int instead of unsigned int in this course for safety.
- Arithmetic with unsigned int can lead to silent wrapping (overflow or underflow) when the value goes below 0 or exceeds the maximum value.
- Mixing signed (int) and unsigned (unsigned int) types in comparisons or arithmetic can lead to confusing or incorrect results.

Any questions regarding **code** expert on your part?

2. Expressions



Types covered so far

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bool <

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bool < int < unsigned int <</pre>

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Sometimes, multiple types are present in the same expression. How do different types interact?

Generality order of types

bool < int < unsigned int < float < double</pre>

Types always convert to the more general type in an expression

Type (literal) Approximates

Approximates {false, true}

Approximates {false, true}

bool unsigned int (u)

Approximates {false, true}

bool {f unsigned int (u) N int Z

Approximates {false, true}

bool {f unsigned int (u) N int Z float (f) R

bool unsigned int (u) \mathbb{N} int **float** (f) double

Approximates

{false.true}

 \mathbb{Z} R

 \mathbb{R} , but *double* precision

std::cout << 5.0/2 << std::endl; // what type and value will this return and why? std::cout << 5.0/2 << std::endl;
// what type and value will this return and why?</pre>

Solution

double, 2.5, since the **int** 2 gets turned into a **double** 2.0 first in order to calculate this expression.

std::cout << (1/2)*5.0/2 << std::endl;
// what type and value will this return and why?</pre>

std::cout << (1/2)*5.0/2 << std::endl;
// what type and value will this return and why?</pre>

Solution

double, 0 because the left expression 1/2 gets evaluated first, which evaluates to 0, since it's an integer division. The rest is trivial, since 0*anything evaluates to 0. That 0 will be of type **double**.

Literals

There are certain letters which are assigned certain meanings regarding types. If you want to tell the compiler "*Hey, don't treat this 2.0 as a double, but instead as a float*" you have to put an f at the end of the value. Like this:

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Solution

float, 5.0, can be written as 5.0f.

First, the 5/2 gets evaluted which results in 2 (integer division). Then 2.0f*5.0f: The **int** 2 became a **float** because that is the more general type (in this expression). Ditto for /2 later.

Exercise I

1. Which of the following character sequences are not C++ expressions, and why not? Here, x and y are variables of type **int**.

a) (y++ < 0 && y < 0) + 2.0
b) y = (x++ = 3)
c) 3.0 + 3 - 4 + 5
d) 5 % 4 * 3.0 + true * x++</pre>

- 2. For all of the valid expressions that you have identified above, decide whether these are l-values or r-values and explain your decision.
- 3. Determine the values of the expressions and explain how these values are obtained. Assume that initially x == 1 and y == -1.

(y++ < 0 && y < 0) + 2.0

(y++ < 0 && y < 0) + 2.0

(-1 < 0 && y < 0) + 2.0 // after this step: y==0

```
(y++ < 0 \&\& y < 0) + 2.0
```

(-1 < 0 && y < 0) + 2.0 // after this step: y==0 (true && y < 0) + 2.0

```
(y++ < 0 \&\& y < 0) + 2.0
```

```
(-1 < 0 && y < 0) + 2.0 // after this step: y==0
(true && y < 0) + 2.0
(true && false) + 2.0</pre>
```

```
(y++ < 0 \&\& y < 0) + 2.0
```

```
(-1 < 0 && y < 0) + 2.0 // after this step: y==0
(true && y < 0) + 2.0
(true && false) + 2.0
(false) + 2.0</pre>
```

```
(y++ < 0 \&\& y < 0) + 2.0
```

```
(-1 < 0 && y < 0) + 2.0 // after this step: y==0
(true && y < 0) + 2.0
(true && false) + 2.0
(false) + 2.0
0.0 + 2.0</pre>
```

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(y++ < 0 \&\& y < 0) + 2.0
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```
(-1 < 0 && y < 0) + 2.0 // after this step: y==0
(true && y < 0) + 2.0
(true && false) + 2.0
(false) + 2.0
0.0 + 2.0
2.0</pre>
```

```
(y++ < 0 \&\& y < 0) + 2.0
```

```
(-1 < 0 && y < 0) + 2.0 // after this step: y==0
(true && y < 0) + 2.0
(true && false) + 2.0
(false) + 2.0
0.0 + 2.0
2.0</pre>
```

r-Value

$$y = (x++ = 3)$$

$$y = (x++ = 3)$$

Invalid

3.0 + 3 - 4 + 5

$$((3.0 + 3) - 4) + 5$$

$$((3.0 + 3) - 4) + 5$$

 $((3.0 + 3.0) - 4) + 5$

$$((3.0 + 3) - 4) + 5$$

 $((3.0 + 3.0) - 4) + 5$
 $(6.0 - 4) + 5$

$$((3.0 + 3) - 4) + 5$$

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 $(6.0 - 4) + 5$
 $(6.0 - 4.0) + 5$

$$((3.0 + 3) - 4) + 5$$

 $((3.0 + 3.0) - 4) + 5$
 $(6.0 - 4) + 5$
 $(6.0 - 4.0) + 5$
 $2.0 + 5$

$$((3.0 + 3) - 4) + 5$$

 $((3.0 + 3.0) - 4) + 5$
 $(6.0 - 4) + 5$
 $(6.0 - 4.0) + 5$
 $2.0 + 5$
 $2.0 + 5.0$

$$((3.0 + 3) - 4) + 5$$

 $((3.0 + 3.0) - 4) + 5$
 $(6.0 - 4) + 5$
 $(6.0 - 4.0) + 5$
 $2.0 + 5$
 $2.0 + 5.0$
 7.0

$$((3.0 + 3) - 4) + 5$$

 $((3.0 + 3.0) - 4) + 5$
 $(6.0 - 4) + 5$
 $(6.0 - 4.0) + 5$
 $2.0 + 5$
 $2.0 + 5.0$
 7.0

r-Value

5 % 4 * 3.0 + true * x++

5 % 4 * 3.0 + true * x++

((5 % 4) * 3.0) + (true * (x++))

```
5 % 4 * 3.0 + true * x++
```

```
((5 % 4) * 3.0) + (true * (x++))
(1 * 3.0) + (true * (x++))
```

```
5 % 4 * 3.0 + true * x++
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(1 * 3.0) + (true * (x++))
(1.0 * 3.0) + (true * (x++))
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(1.0 * 3.0) + (true * (x++))
3.0 + (true * (x++))
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((5 % 4) * 3.0) + (true * (x++))
(1 * 3.0) + (true * (x++))
(1.0 * 3.0) + (true * (x++))
3.0 + (true * (x++))
3.0 + (true * 1)
```

```
5 % 4 * 3.0 + true * x++
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((5 % 4) * 3.0) + (true * (x++))
(1 * 3.0) + (true * (x++))
(1.0 * 3.0) + (true * (x++))
3.0 + (true * (x++))
3.0 + (true * 1)
3.0 + (true * 1)
3.0 + (1 * 1)
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3.0 + (true * 1)
3.0 + (1 * 1)
3.0 + 1
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3.0 + (true * 1)
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3.0 + 1
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3.0 + (true * 1)
3.0 + (1 * 1)
3.0 + (1 * 1)
3.0 + 1
3.0 + 1.0
4.0
```

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5 % 4 * 3.0 + true * x++
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((5 % 4) * 3.0) + (true * (x++))
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3.0 + (true * (x++))
3.0 + (true * 1)
3.0 + (1 * 1)
3.0 + 1
3.0 + 1
3.0 + 1.0
4.0
```

r-Value

3. Loops

Loop Correctness

Can a user of the program observe the difference between the output produced by these three loops? If yes, how? Assume that n is a variable of type **unsigned int** whose value is given by the user.

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Solution

There are the following differences:

- Unlike loops 1 and 2, loop 3 does output 1 for input n == 0 because the statement in a do-loop is always executed once before the condition is checked
- If n is the largest possible integer, then the loops 1 and 3 may be infinite because the condition i <= n is going to be true for all possible i</p>
Questions?

```
// TASK: Convert the following
// for-loop into an
// equivalent while-loop:
for (int i = 0; i < n; ++i) {
    // BODY
}</pre>
```

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for (int i = 0; i < n; ++i) {
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}</pre>
```

```
// SOLUTION
int i = 0;
while(i < n){
    // BODY
    ++i;
}</pre>
```

```
// TASK: Convert the following
// while-loop into an
// equivalent for-loop:
while(condition){
    // BODY
}
```

}

```
// TASK: Convert the following
// while-loop into an
// equivalent for-loop:
while(condition){
    // BODY
```

```
// SOLUTION
for(;condition;){
    // BODY
}
```

```
// TASK: Convert the following
// do-while-loop into an
// equivalent for-loop:
```

do{

// BODY
}while(condition)

```
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// do-while-loop into an
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```

```
do{
```

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}while(condition)

```
// SOLUTION
```

// BODY
for(;condition;){
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}

Questions?

4. Calculating Sums

Mathematical sums can be turned into loops

 $\sum_{i=0}^{n} f(i)$

Mathematical sums can be turned into loops

$$\sum_{i=0}^{n} f(i)$$

Becomes

```
int n = 0;
int sum = 0;
for(int i = 0; i <= n; i++){
   sum += f(i);
}
```

Consider the formula

 $\frac{1}{n!}$

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$$\frac{1}{n!} = \frac{1}{1} \cdot \frac{1}{2} \cdot \dots \cdot \frac{1}{n}$$

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$$\frac{1}{n!} = \prod_{i=1}^{n} \frac{1}{i}$$

How do we turn this piece of math into a piece of C++ code?

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How could one implement this as a ("multiplicative") series?

$$\frac{1}{n!} = \prod_{i=1}^n \frac{1}{i}$$

How do we turn this piece of math into a piece of C++ code?

```
int main(){
   int n; // user input
   double result; // main output
   std::cout << result
             << std::endl:
   return 0;
}
```

Warmup Exercise - Example Solution

```
int main(){
    int n;
    double result = 1;
    int i = 1;
    std::cin >> n;
    while(i <= n){</pre>
        result = result/i;
        i++;
    }
    std::cout << result << std::endl:</pre>
    return 0;
}
```

Taylor Series on code expert

Write a program that calculates $\sin(x)$ up to six decimal places Hint: Use the MacLaurin Series. Hint: How would you compute (n + 1)-th term when you have the n-th term?

Hint: What loop should be used here?

Hint: Try to solve the exercise without considering the precision at first.

$$\sin x = \sum_{n=0}^{\infty} \frac{(-1)^n}{(2n+1)!} x^{2n+1}$$

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Task

Try with pen and paper

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$$\sin x = \sum_{n=0}^{\infty} \frac{(-1)^n}{(2n+1)!} x^{2n+1}$$

Task

Try with pen and paper

Try implementing it together with person next to you in **code** expert

From Series to Loop - Solution

From Series to Loop - Solution

```
#include <iostream>
int main () {
  double x:
  std::cin >> x;
  double numtor = x;
  double denomtor = 1:
  double sum = x;
  double term;
  double term abs;
  int n = 1;
```

do {

```
numtor * = -(x * x):
  denomtor *= (2 * n) * (2 * n + 1);
  term = numtor / denomtor;
  sum += term;
  if (term < 0) {
   term abs = -term:
  } else {
    term abs = term:
  }
  ++n:
} while (term_abs > 0.000001);
std::cout << sum << std::endl;</pre>
return 0;
                                    32
```

Questions?

5. Scopes

In this week's lecture, a new concept was introduced called "variable scopes". Does anyone remember what variable scopes are and why do we need them?

Ouestion

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Answer

Scopes define the code segments of our program in which a variable (l-value) exists. The scope of a variable starts at the point of its definition and ends at the end of the block where it was defined. For example:

```
if (x < 7){
    int a = 8:
}
std::cout << a:</pre>
```

```
// <-- a's variable scope BEGINS here!
std::cout << a; // Fine, prints 8.</pre>
                     // <-- a's variable scope ENDS here!</pre>
                     // Compiler error, a does not exist.
```

Bug?

A way to supposedly fix the compilation error would be this:

```
int a = 2;
if (x < 7) {
    int a = 8;
    std::cout << a;
}
std::cout << a;</pre>
```

Question

What this program is going to print if x==2?



A way to supposedly fix the compilation error would be this:

int a = 2; if (x < 7) { int a = 8; std::cout << a; } std::cout << a;</pre>

Question

What this program is going to print if x==2?

Answer It's going to print 82.

Bug?

A way to supposedly fix the compilation error would be this:

```
int a = 2;
if (x < 7) {
    int a = 8;
    std::cout << a;
}
std::cout << a;</pre>
```

Question

What this program is going to print if x==2?

Answer

It's going to print 82. Why? See 🖉 Program Tracing Guide



Answer

What is the scopes of sum, i, and a in the following example?

```
int sum = 0;
for (int i = 0; i < 5; ++i) {
    int a;
    std::cin >> a;
    sum += a;
}
```



What is the scopes of sum, i, and a in the following example?

Answer

sum (At least) the entire snippet

```
int sum = 0;
for (int i = 0; i < 5; ++i) {
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    std::cin >> a;
    sum += a;
}
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Answer

sum (At least) the entire snippet

```
i The entire for-loop
```

Bug?

Question

What is the scopes of sum, i, and a in the following example?

```
int sum = 0;
for (int i = 0; i < 5; ++i) {
    int a;
    std::cin >> a;
    sum += a;
}
```

Answer

sum (At least) the entire snippet

- i The entire **for**-loop
- a One loop iteration. In other words, at the beginning of the loop body a is *not* guaranteed to have the value it had at the end of the loop body in the previous loop iteration.

Questions?

6. Outro

General Questions?
Have a nice week!