# Eudoxus, the most important mathematician you've never heard of

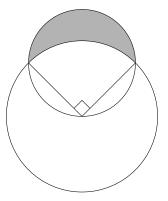
Yes, we speak of things that matter With words that must be said "Can analysis be worthwhile?" "Is the theater really dead?"

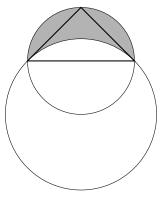
Before Eudoxus

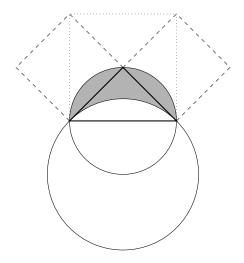
**Eudoxus: Definitions** 

**Eudoxus: Theorems** 

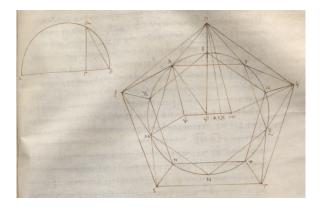
After Eudoxus

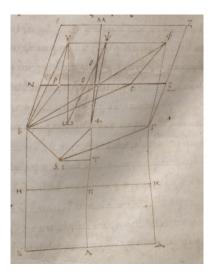












# Greek number-theoretic figures



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# "Dedekind cuts"

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natrajanhoh enaueboh enauebon na atra naudthan.

tantaajanhoh enaueboh enauebon na atra nape ast

tabison jaanta mottanataajan. nanee mojoh onh mot

pistison jaanta mottanataajan. senio, genebon m

geneboh mit bisch mbod dab soh, ostah sauen mbos sen

Pungangito santraleg n taldat dhat mbos soh mbos

#### "Dedekind cuts"

#### Definition (*Elements* V.5)

"Magnitudes are said to be in the same ratio, the first to the second and the third to the fourth, when, if any equimultiples whatever be taken of the first and third, and any equimultiples whatever of the second and fourth, the former equimultiples alike exceed, are alike equal to, or alike fall short of, the latter equimultiples respectively taken in corresponding order." (trans. Thomas Little Heath)

# The "Archimedean" property

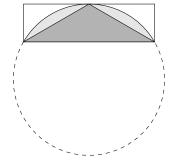
# The "Archimedean" property

#### Definition (*Elements* V.4)

"Magnitudes are said to have a ratio to one another which are capable, when multiplied, of exceeding one another." (trans. Thomas Little Heath)

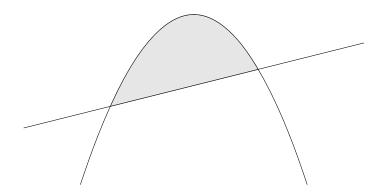
#### The method of exhaustion

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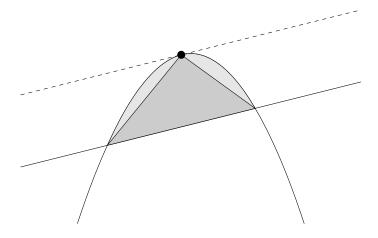


### **Archimedes**

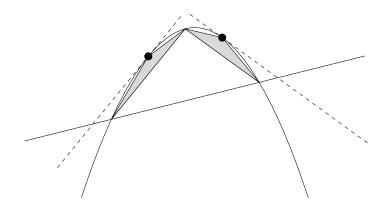
# Archimedes's parabola



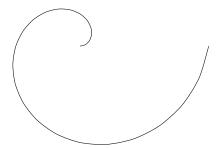
# Archimedes's parabola



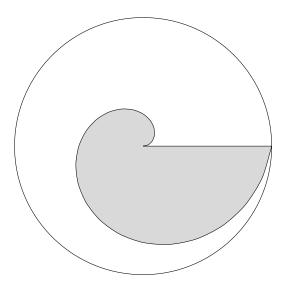
# Archimedes's parabola



# Archimedes's spiral



# Archimedes's spiral



# Archimedes's spiral

